# Expressing Parallelism with SYCL: Data-Parallel Kernels

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# Session Objectives

 Understand the concepts of work-items, work-groups, and ND-ranges.

- Understand basic kernels using parallel\_for.
- Explore ND-range-based kernels to express locality and parallelism.
- Study Matrix Multiplication: Basic and optimized approaches.

#### What are Work-Items?

- Work-Item: The smallest unit of execution in SYCL, analogous to a thread.
- Executes a single instance of the kernel function.
- Identified uniquely within the computational grid using global IDs.
- Work-items are independent and cannot synchronize or share data directly.

# What are Work-Groups?

- Work-Group: A collection of work-items that can share data and synchronize.
- Work-items in a group have access to:
  - **Local memory**, shared within the group.
  - **Barriers and fences** for synchronization.
- Identified by a unique group ID within the computational grid.
- Work-items in a group are scheduled concurrently on the same compute unit.

## What is an ND-Range?

ND-Range: Defines the total grid of work-items and their division into work-groups.

- Comprised of:
  - **Global Range:** Total number of work-items.
  - **Local Range:** Size of each work-group.

# What is an ND-Range ?



#### Basic Data-Parallel Kernels

#### Execution Range:

- Defined using a range object (1-, 2-, or 3-dimensional).
- Each element corresponds to a work-item.
- Work-items are uniquely addressable using:
  - id: Lightweight, kernel-instance-specific index.
  - item: Kernel-instance index with execution range info.

## Basic Data-Parallel Kernels



Basic Kernel Example: Using id

```
Q.submit([&](handler &cgh) {
    accessor acc { buf, cgh, write_only };
    cgh.parallel_for(range<2> { n_work_items }, [=](id<2> idx) {
        acc[idx] = 42.0;
    });
});
```

 Scenario: Each kernel instance accesses a single element in the buffer.

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#### Key Features:

- Lightweight and simple for parallel problems.
- Accessors index buffers directly using id.

# Basic Kernel Example: Using item

```
Q.submit([&](handler &cgh) {
    auto accA = bufA.get_access<access::mode::read>(cgh);
    auto accB = bufB.get_access<access::mode::read>(cgh);
    auto accR = bufR.get_access<access::mode::write>(cgh);
    cgh.parallel_for(range { dataSize }, [=](item<1> itm) {
        auto globalId = itm.get_id();
        accR[globalId] = accA[globalId] + accB[globalId];
    });
});
```

Scenario: Accessing kernel instance and execution range details.

#### Key Features:

- item provides global ID and range info.
- Enables more flexibility for advanced computations.

### When to Use id vs. item

Choosing between id and item depends on the problem's complexity:

Feature	id	item
Kernel Instance Awareness	Yes	Yes
Access to Global Range Info	No	Yes
Use Case	Simple operations	Advanced opera-
		tions
Overhead	Minimal	Slightly higher
Example	acc[idx] =	acc[it.get_id()]
	value;	= sum;

- id: Lightweight and sufficient for simple problems.
- item: Adds flexibility for advanced use cases (e.g., vector operations).

# Matrix Multiplication

- Compute C[i, j] = ∑<sub>k</sub> A[i, k] ⋅ B[k, j] using data-parallel kernels.
- Each work-item computes one element of the resulting matrix.
- Challenges:
  - Loading the operands multiple times (inefficient memory usage).
  - Lack of memory reuse without explicit locality handling.

## Basic Data-Parallel Kernels



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# Basic Matrix Multiplication Kernel

```
Q.submit([&](handler &cgh) {
    accessor A { bufA, cgh, read_only };
    accessor B { bufB, cgh, read_only };
    accessor C { bufC, cgh, write_only };
    cgh.parallel_for(range<2> {N, N}, [=](id<2> idx) {
        int row = idx[0];
        int col = idx[1];
        float sum = 0.0f:
        for (int k = 0; k < N; k++) {
            sum += A[row][k] * B[k][col]:
        }
        C[row][col] = sum;
    });
});
```

**Global Range:** Defines the 2D execution space.

- Kernel Logic: Each work-item calculates one matrix element.
- Challenge: Inefficient due to repeated data loads.

# Optimized Matrix Multiplication with ND-Range



- Work-Item Role: Each work-item computes an element in the result matrix by accessing a full row of A and a full column of B.
- Data Reuse: Unlike the naive approach, work-items in a work-group can reuse data from shared memory, improving memory access locality and reducing redundant loads.

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Optimized Matrix Multiplication with ND-Range: Code

```
Q.submit([&](handler &cgh) {
    accessor A { bufA, cgh, read_only };
    accessor B { bufB, cgh, read_only };
    accessor C { bufC, cgh, write_only };
    range<2> global {N, N};
    range<2> local {B, B};
    cgh.parallel_for(nd_range<2>(global, local), [=](nd_item<2> it)
    \rightarrow f
        int row = it.get_global_id(0);
        int col = it.get_global_id(1);
        float sum = 0.0f:
        for (int k = 0; k < N; ++k) {
            sum += A[row][k] * B[k][col];
        3
        C[row][col] = sum;
    });
});
```

- **ND-range:** Divides the workload into work-groups.
- Memory Locality: Shared data within work-groups allows optimized memory access.
- Improvement: Reduces redundant memory loads, leveraging better performance.

# Optimized Matrix Multiplication Explained

- **Global Range:** Defines the total execution grid (e.g.,  $N \times N$ ).
- Local Range: Specifies the size of each work-group (e.g., B × B).
- Work-Groups: Allow work-items to share data in local memory.
- Key Insight: Data locality reduces memory traffic significantly.
- Result: Improved performance due to fewer redundant loads and better utilization of hardware capabilities.

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# Important Note: Don't Reinvent the Wheel!

#### Use Optimized Libraries

**Matrix Multiplication** and similar operations are fundamental but computationally intensive.

- SYCL is great for learning or custom optimizations.
- ► For production: Use optimized BLAS libraries like oneAPI.

#### Why?

- Expert-tuned for specific hardware (e.g., CPUs, GPUs).
- Advanced optimizations like vectorization and memory reuse.

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• Orders of magnitude faster and more reliable.

# Summary

- Work-items: Basic units of execution.
- Work-groups: Enable data sharing and synchronization within groups.
- ND-ranges: Define computational grids with control over locality.
- **Data-parallel kernels:** Achieved with parallel\_for.
- Matrix Multiplication: Optimized kernels improve memory access patterns and performance.